Improving Contrastive Learning by Visualizing Feature Transformation

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- ► Authorship
- ► Background
- ► Proposed Method
- ► Experimental Results
- ► Conclusion

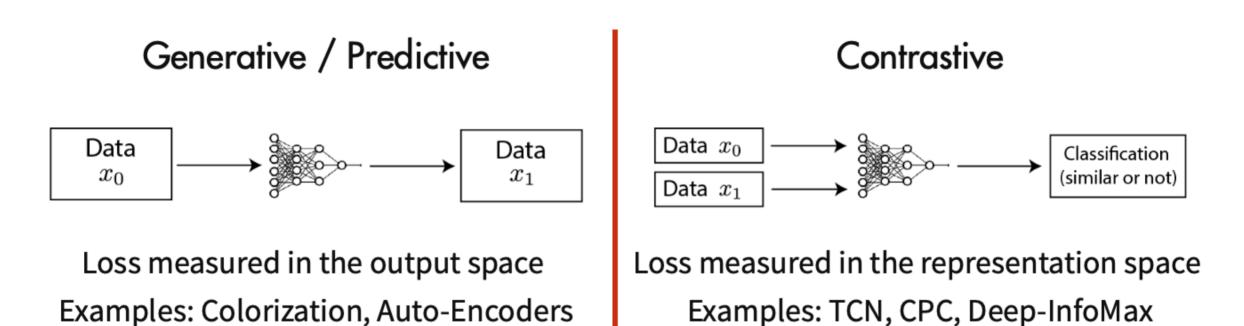
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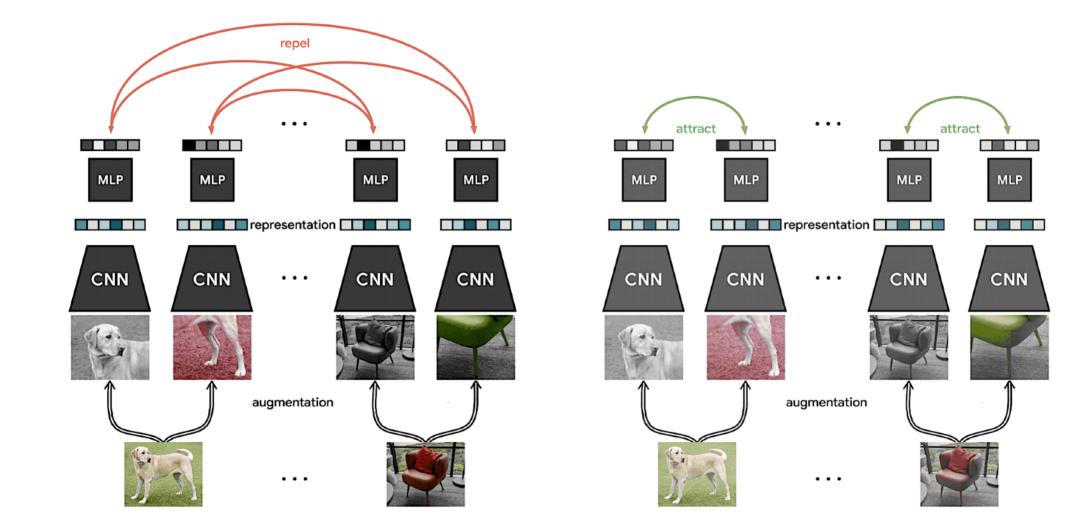
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► Contrastive



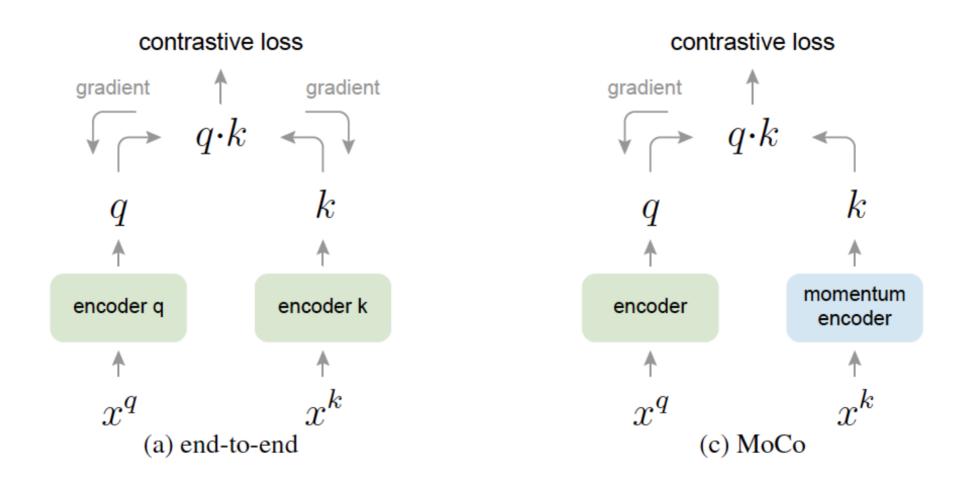
[1] https://ankeshanand.com/blog/2020/01/26/contrative-self-supervised-learning.html

► SimCLR



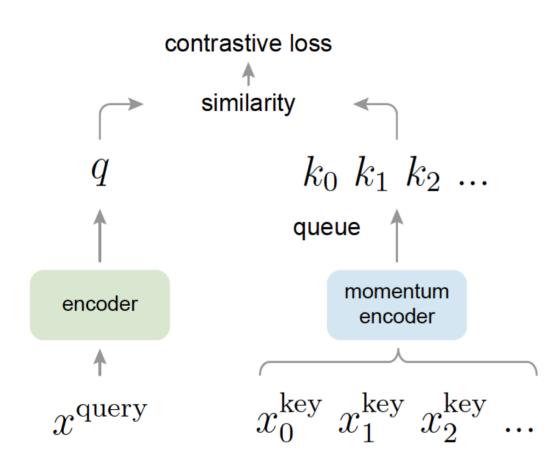
[1] A Simple Framework for Contrastive Learning of Visual Representations (ICML20)

► MoCo



[1] Momentum Contrast for Unsupervised Visual Representation Learning (CVPR20)

► MoCo

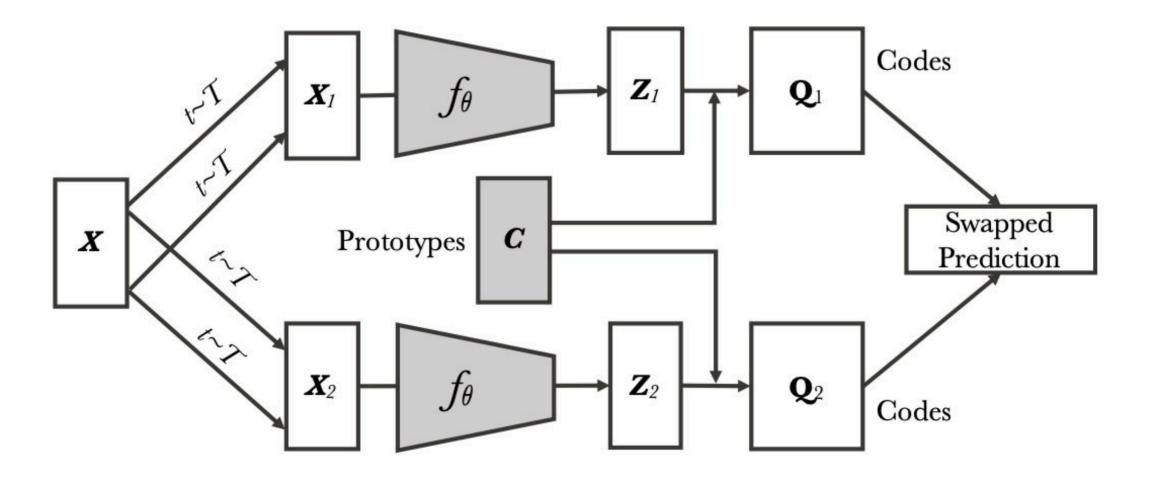


$$\theta_k \leftarrow m\theta_k + (1-m)\theta_q$$

 $m{ heta}_k$: weights of the encoder for negative examples $m{ heta}_q$: weights of the encoder for positive examples only $m{ heta}_q$ update through BP

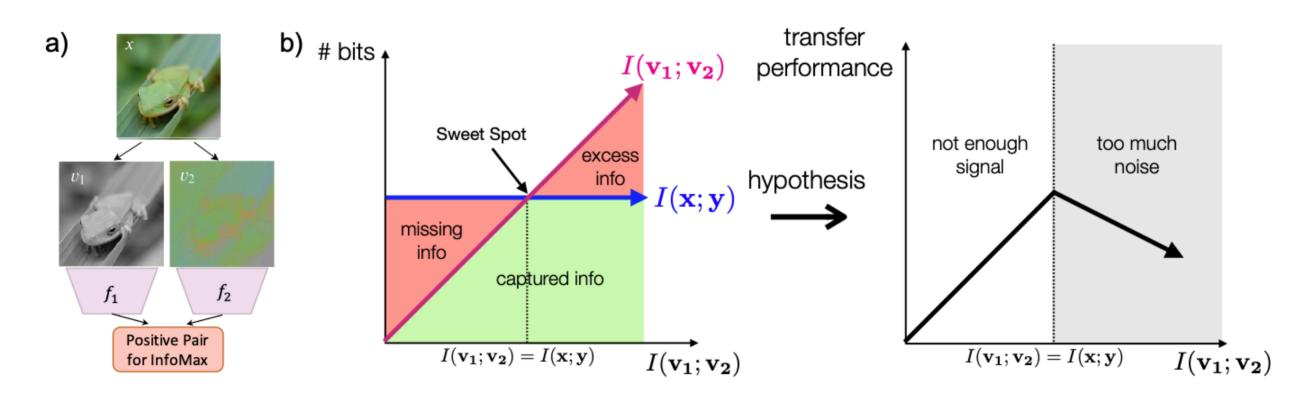
[1] Momentum Contrast for Unsupervised Visual Representation Learning (CVPR20)

► SwAV



[1] Unsupervised Learning of Visual Features by Contrasting Cluster Assignments (NeurIPS20)

► Infomin



► Infomin

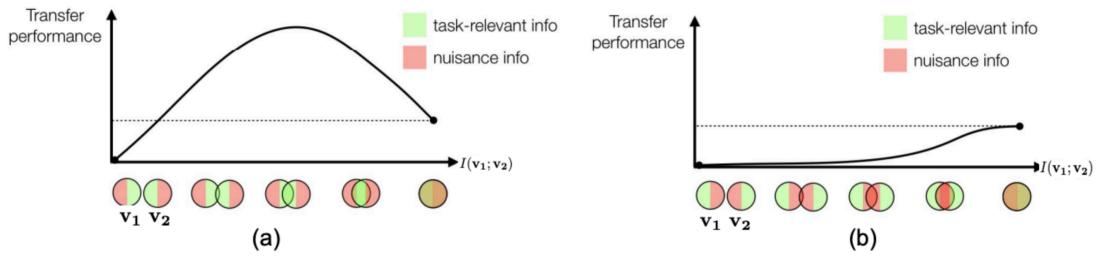
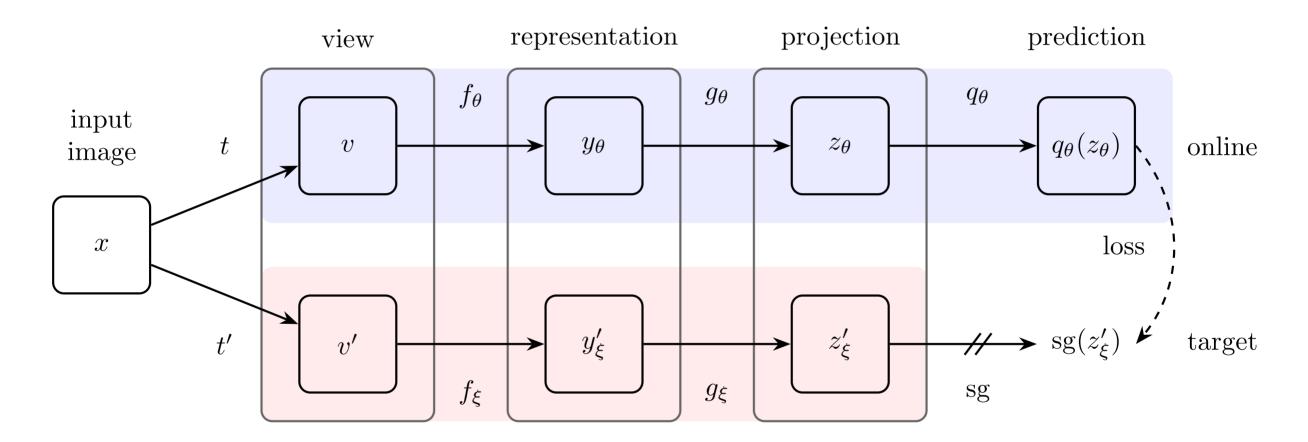


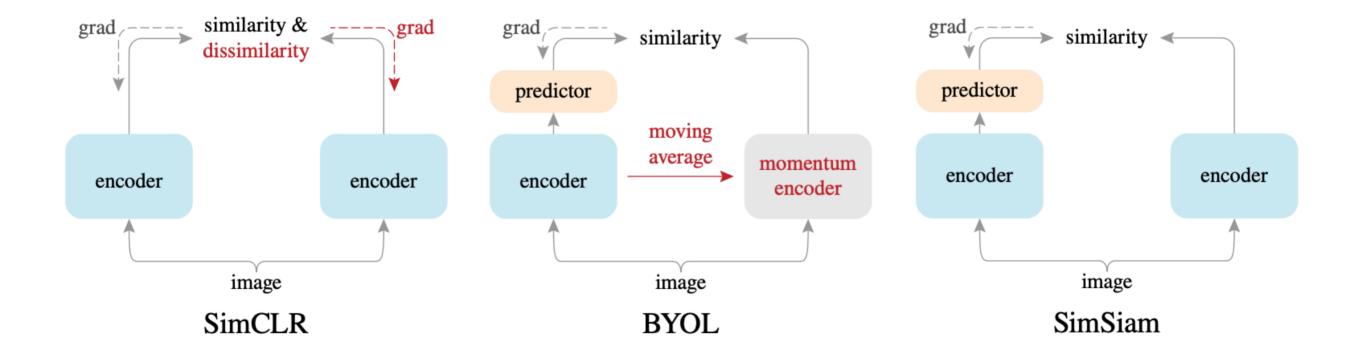
Figure 2: As the mutual information between views is changed, information about the downstream task (green) and nuisance variables (red) can be selectively included or excluded, biasing the learned representation. (a) depicts a scenario where views are chosen to preserve downstream task information between views while throwing out nuisance information, while in (b) reducing MI always throws out information relevant for the task leading to decreasing performance as MI is reduced.

► BYOL



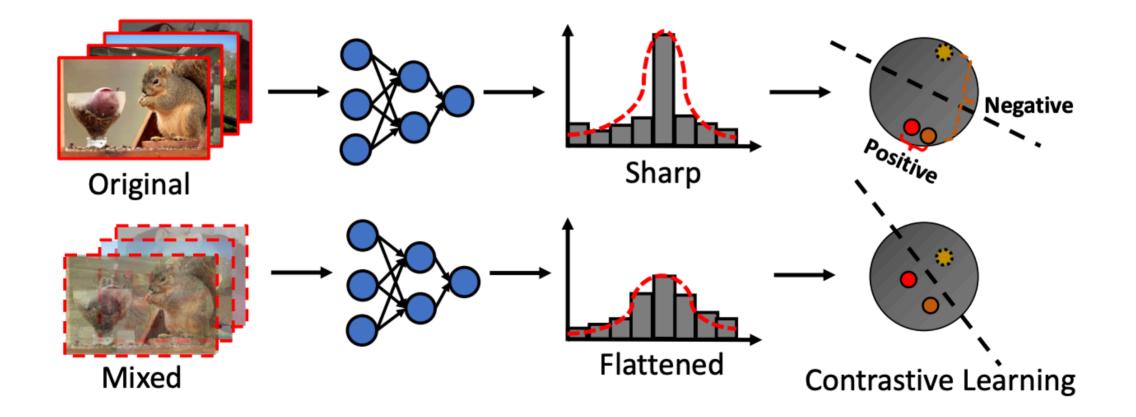
[1] Bootstrap Your Own Latent A New Approach to Self-Supervised Learning (NeurIPS20)

► SimSiam



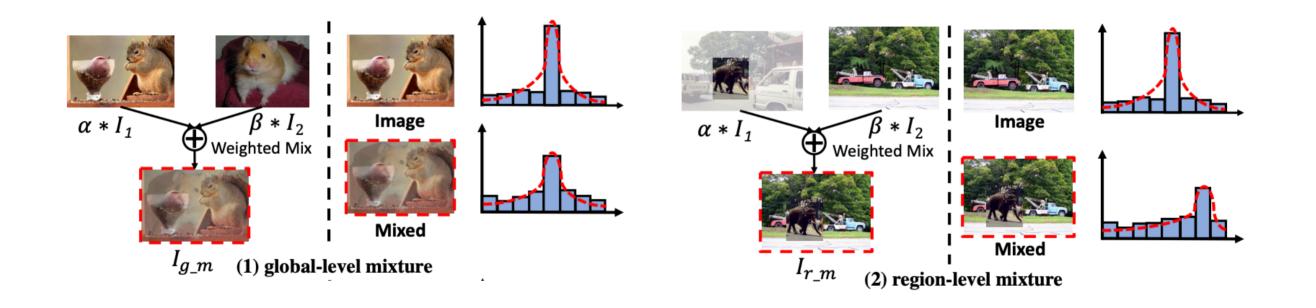
[1] Exploring Simple Siamese Representation Learning (CVPR21)

► UnMix: Image-level mixing

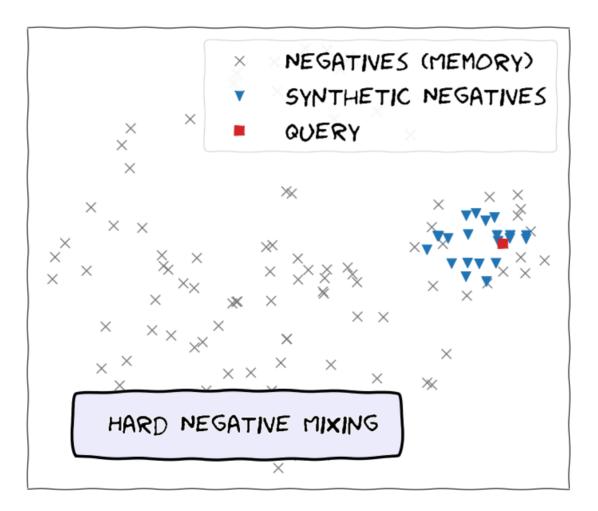


[1] Exploring Simple Siamese Representation Learning (arXiv 2020)

► UnMix: Image-level mixing



► MoCHi: Feature-level mixing

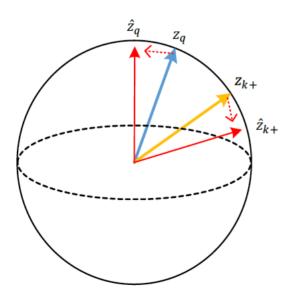


Creating convex linear combinations of pairs of its "hardest" existing negatives

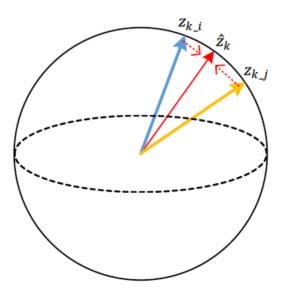
- ► Authorship
- ► Background
- Proposed Method
- ► Experimental Results
- ► Conclusion

► Differing from data augmentation, **feature-level** data manipulation

- ► Proposed strategies:
 - Positive extrapolation



• Negative interpolation



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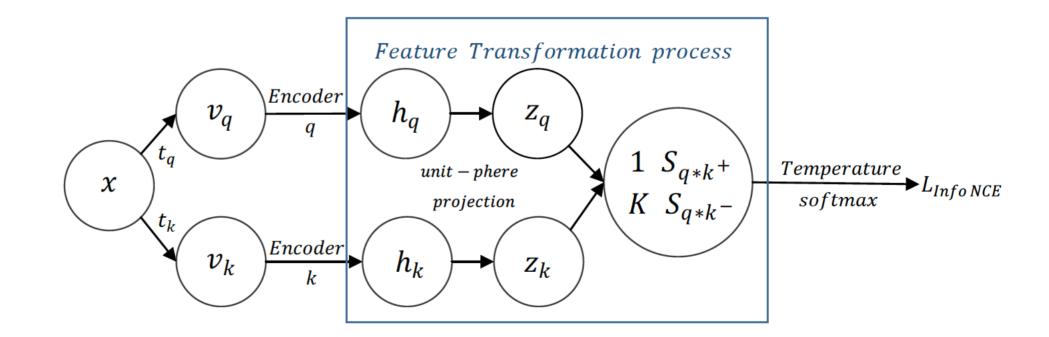
► Motivation

► Detailed Method

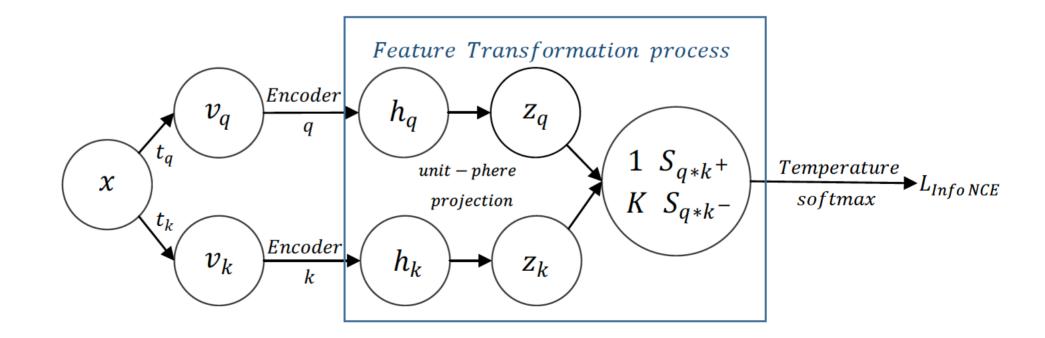
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- Motivation: visualization of contrastive learning
- Preliminaries

$$\mathcal{L} = -\log\left[\frac{\exp\left(S_{q\cdot k^{+}}/\tau\right)}{\exp\left(S_{q\cdot k^{+}}/\tau\right) + \sum_{K}\exp\left(S_{q\cdot k^{-}}/\tau\right)}\right]$$



- Motivation: visualization of contrastive learning
- Preliminaries
- Cos similarity: one score $\,S_{q\cdot k^+}$ and $\,K\,{
 m scores}\,\,S_{q\cdot k^-}$



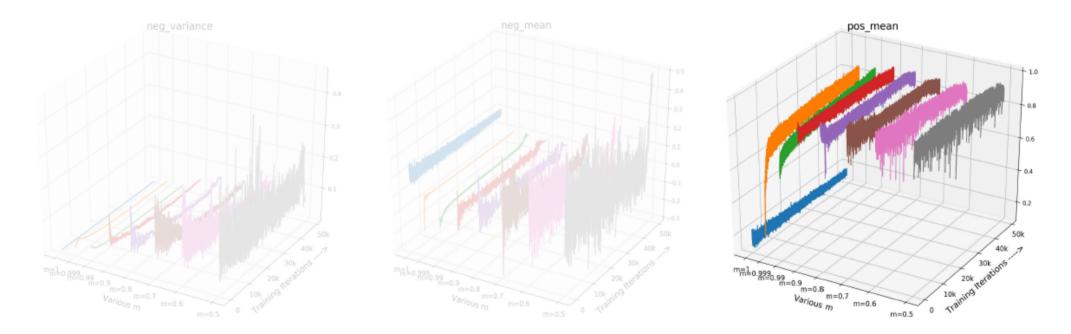
- Motivation: visualization of contrastive learning
- Score distribution visualization
 - Factor: *m* for momentum

 $\theta_{f_k} \leftarrow m\theta_{f_k} + (1-m)\theta_{f_q}$

Table 1. The parameter experiments of m on MoCo ($\tau = 0.07$).

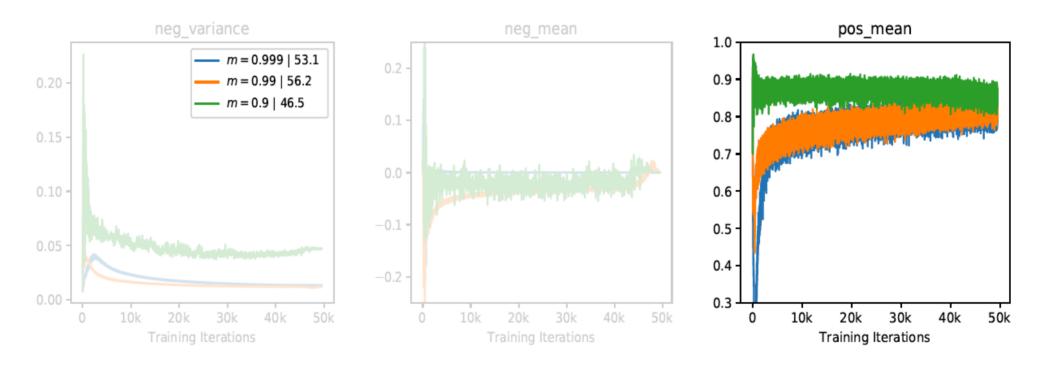
- Target 1: Mean of pos/neg scores (indicating the approximate average of the pos/neg pair distance)
- Target 2: Variance of negative scores (indicating the fluctuation degree of the negative samples in the memory queue)

- Motivation: visualization of contrastive learning
- Score distribution visualization



(a) Var of neg scores (b) Mean of neg scores (c) Mean of pos scores Figure 3. Pos/neg score statistics of various *m* in MoCo training

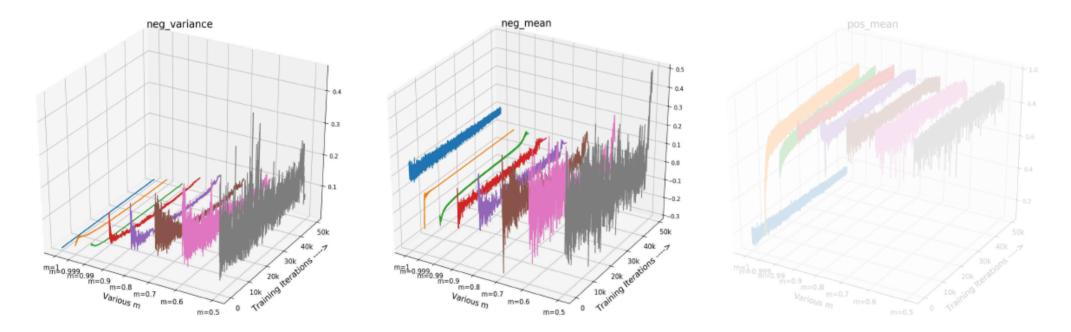
- Motivation: visualization of contrastive learning
- Score distribution visualization



(a) Var of neg scores(b) Mean of neg scores(c) Mean of pos scoresFigure 5. 2D view of pos/neg score statistics of various m

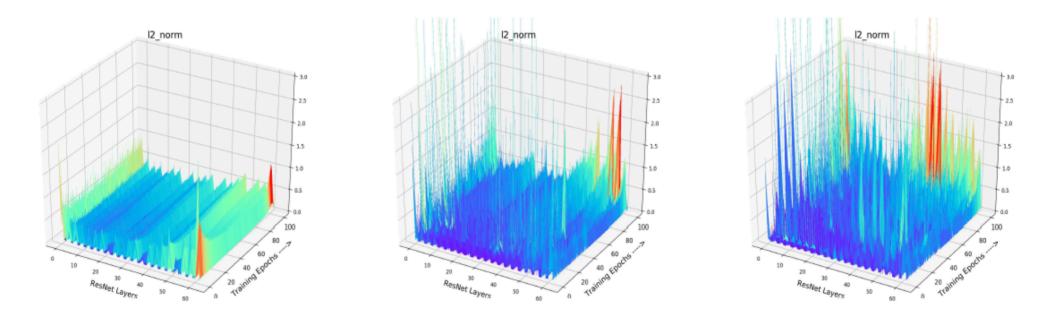
- Motivation: visualization of contrastive learning
- Conclusion
 - [Positive] In the guarantee of stable and smooth score distribution and gradient, we can adopt some feature transformation methods which create **hard ones** by decreasing easy positive scores

- Motivation: visualization of contrastive learning
- Score distribution visualization



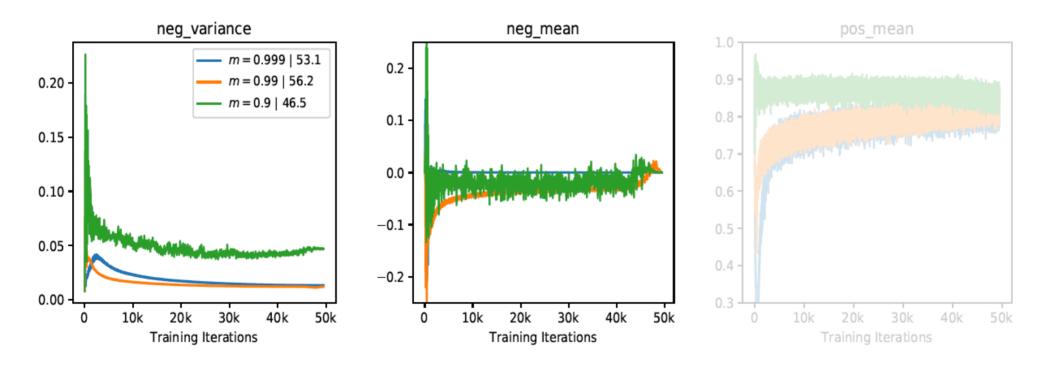
(a) Var of neg scores(b) Mean of neg scores(c) Mean of pos scoresFigure 3. Pos/neg score statistics of various *m* in MoCo training

- Motivation: visualization of contrastive learning
- Score distribution visualization



(a) $m = 0.99 \mid 56.2\%$ (b) $m = 0.6 \mid 21.2\%$ (c) $m = 0.5 \mid$ collapse Figure 4. Gradient (ℓ_2 norm) landscape of various m

- Motivation: visualization of contrastive learning
- Score distribution visualization



(a) Var of neg scores (b) Mean of neg scores (c) Mean of pos scores Figure 5. 2D view of pos/neg score statistics of various m

- Motivation: visualization of contrastive learning
- Conclusion
 - [Positive] In the guarantee of stable and smooth score distribution and gradient, we can adopt some feature transformation methods which create **hard ones** by decreasing easy positive scores
 - [Negative] We need to prepare negative pairs that can maintain the stability and smoothness of score distribution and gradient for the training process

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- ► Motivation
- Detailed Method

- ► Feature Transformation
- Draw the positive pair z_q and z_{k+} closer
- Pushing away negative pairs z_q and all the z_{k-} in memory queue

- Positive extrapolation: increase the hardness
- Negative interpolation: increase the diversity

- ► Positive
- Weighted addition

$$\hat{z}_q = \lambda_{ex} z_q + (1 - \lambda_{ex}) z_{k+}$$
$$\hat{z}_{k+} = \lambda_{ex} z_{k+} + (1 - \lambda_{ex}) z_q$$

• More importantly, we should guarantee than the transformed pos score $\hat{S}_{q\cdot k^+}$ is smaller than the original pos score $S_{q\cdot k^+}$, namely $\hat{z}_q \hat{z}_{k^+} \leq z_q z_{k^+}$.

$$\hat{S}_{q\cdot k^+} = 2\lambda_{ex}(1-\lambda_{ex})(1-S_{q\cdot k^+}) + S_{q\cdot k^+} \le S_{q\cdot k^+}$$

$$\hat{S}_{q\cdot k^+} = 2\lambda_{ex}(1-\lambda_{ex})(1-S_{q\cdot k^+}) + S_{q\cdot k^+} \le S_{q\cdot k^+}$$

Because $S_{q\cdot k^+} \in [-1,1]$ and thus $(1 - S_{q\cdot k^+}) \geq 0$. To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need to set $\lambda_{ex} \geq 1$ to let $2 \cdot \lambda_{ex}(1 - \lambda_{ex}) \leq 0$. So we choose $\lambda_{ex} \sim Beta(\alpha_{ex}, \alpha_{ex}) + 1$ ⁴ is sampled from a beta distribution and then adding 1 results in a range of (1,2). And the range of transformed pos score will be $\hat{S}_{q\cdot k^+} \in [-4 + 5S_{q\cdot k^+}, S_{q\cdot k^+}]$.

PROPOSED METHOD
$$f(x; \alpha, \beta) = \frac{x^{\alpha-1}(1-x)^{\beta-1}}{\int_0^1 u^{\alpha-1}(1-u)^{\beta-1} du}$$
 $\hat{S}_{q\cdot k^+} = 2\lambda_{ex}(1-\lambda_{ex})(1-u)^{\beta-1}$ $= \frac{\Gamma(\alpha+\beta)}{\Gamma(\alpha)\Gamma(\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ Because $S_{q\cdot k^+} \in [-1,1]$ a $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need $= \frac{1}{B(\alpha,\beta)}x^{\alpha-1}(1-x)^{\beta-1}$ To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, so we choose $\lambda_{ex} \sim Beta(\alpha_{ex}, \alpha_{ex}) + 1^4$ is sampled from abeta distribution and then adding 1 results in a range of $(1,2)$. And the range of transformed pos score will be $\hat{S}_{q\cdot k^+} \in [-4 + 5S_{q\cdot k^+}, S_{q\cdot k^+}].$

PROPOSED METHOD

$$\hat{S}_{q\cdot k^+} = 2\lambda_{ex}(1 - \lambda_{ex})(1 - S_{q\cdot k^+})$$
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To make sure the lower score $\hat{S}_{q\cdot k^+} \leq S_{q\cdot k^+}$, we need
to set $\lambda_{ex} \geq 1$ to let $2 \cdot \lambda_{ex}(1 - \lambda_{ex}) \leq 0$. So we
choose $\lambda_{ex} \sim Beta(\alpha_{ex}, \alpha_{ex}) + 1$ ⁴ is sampled from a
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PROPOSED METHOD

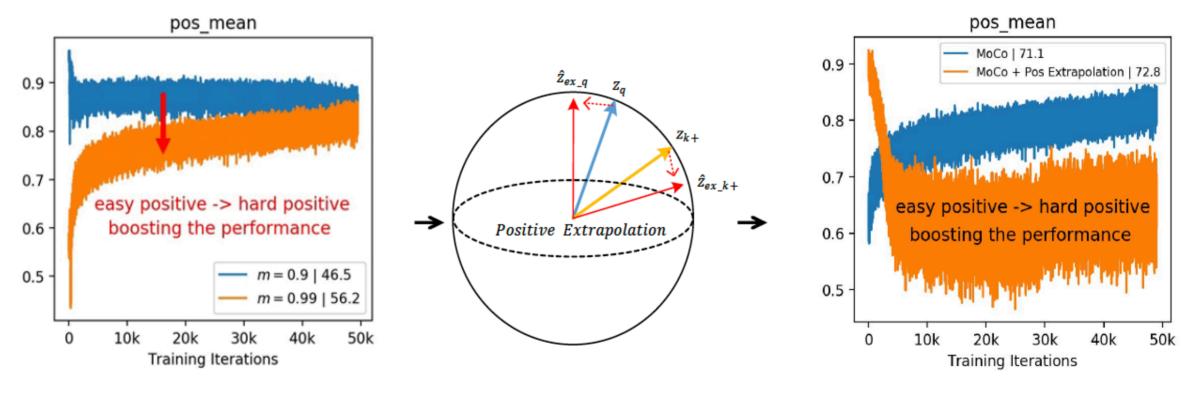
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► Positive

$lpha_{ex}$	-	0.2	0.4	0.6	1.4	1.6	2.0
acc (%)	71.1	71.6	71.8	71.9	72.7	72.4	72.8

Table 2. Various α_{ex} for positive extrapolation, the best result is marked in bold. We employ ResNet-50 [16] for the results. '-' indicates MoCo baseline without using extrapolation.

► Positive



(a) Observation

(b) Proposed Method (c) Performance Gain

- ► Positive
- Why not extrapolation?

Method	$lpha_{ex}$	pos interpolation/extrapolation				
MoCo	0.2	69.1 / 71.6				
(baseline: 71.1)	2.0	67.4 / 72.8				

Table 3. Positive extrapolation v.s. interpolation. Interpolationhurts the performance while extrapolation improves.

► Negative

Specifically, we denote the negative memory queue of MoCo as $Z_{neg} = \{z_1, z_2, \dots, z_K\}$ where K is the size of the memory queue, and Z_{perm} as the random permutation of Z_{neg} . We propose to use a simple interpolation between two memory queue to create a new queue $\hat{Z}_{neg} = \{\hat{z}_1, \hat{z}_2, \dots, \hat{z}_K\}$:

$$\hat{Z}_{neg} = \lambda_{in} \cdot Z_{neg} + (1 - \lambda_{in}) \cdot Z_{perm}$$
(5)

where $\lambda_{in} \sim Beta(\alpha_{in}, \alpha_{in})$ is in the range of (0, 1)

► Negative

α_{in} -	0.2	0.4	0.6	1.4	1.6	2.0
acc (%) 71.1	73.3	74.1	74.2	73.5	74.6	74.1

Table 4. Various α_{in} for negative interpolation, the best result is marked in bold. We employ ResNet-50 [16] for the results. '-' indicates MoCo baseline without using negative interpolation.

- ► Discussions
- What if extending memory queue instead of FT
- When to add FT?
- Dimension-level mixing rather than linear mixup?
- Could the gains brought by FT vanish if training longer?

- ► Discussions
- What if extending memory queue instead of FT

Method	$lpha_{in}$	Z_n	queue size	Acc
moco+ original queue	-	Z_{neg}	K	71.10
moco+ original queue	-	Z_{neg}	2K	71.40
moco+ Neg FT queue	1.6	\hat{Z}_{neg}	K	74.64
moco+ Neg FT+original	1.6	\tilde{Z}_{neg}	2K	74.73

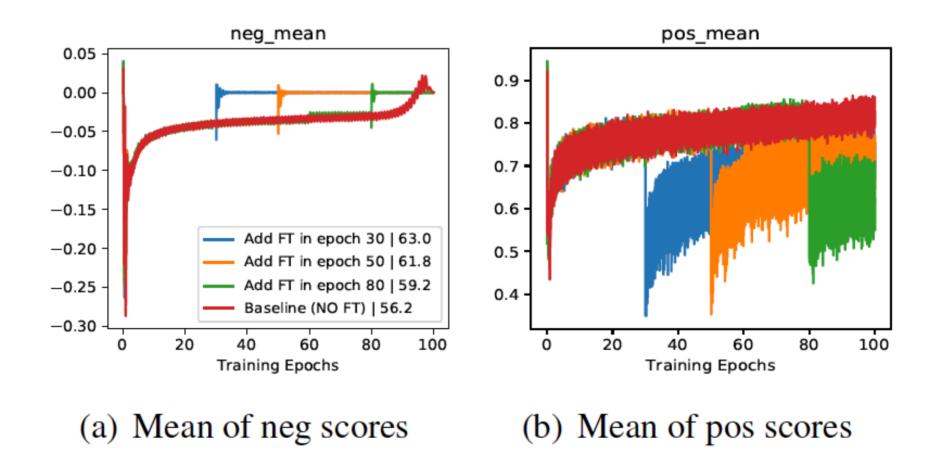
Table 5. Ablation results for using different queue of negative features (Res50). The transformed queue \hat{Z}_{neg} can completely replace the extended queue \tilde{Z}_{neg} with small computations.

- ► Discussions
- When to add FT?

FT begin epoch	0	2	30	50	80	-
Res18 acc (%)	62.6	63.3	62.9	61.8	59.2	56.2
Res50 acc (%)	76.9	76.4	75.9	74.0	72.2	71.1

Table 6. When to add feature transformation. We employ Res-18 (total 100 epochs) and Res-50 (total 200 epochs) on IN-100 for the results. '-' indicates MoCo baseline without using any FT.

- ► Discussions
- When to add FT?



- ► Discussions
- Dimension-level mixing rather than linear mixup?

$$\hat{z}_{new} = \lambda \odot z_i + (1 - \lambda) \odot z_j$$

where \odot stands for Hadamard product, and $\lambda \in [0, 1]^n$ is a vector with the same dimension as the feature vector.

- ► Discussions
- Could the gains brought by FT vanish if training longer?

- 200 epoch: $75.6\% \rightarrow 78.3\%$
- 500 epoch: $80.7\% \rightarrow 81.5\%$

• Longer training minimizes the improvement over the baseline

OUTLINE

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EXPERIMENTAL RESULTS

► ImageNet-100

Method	MoCov1	MoCov2	simCLR	Infomir	n swav	SimSiam
baseline*	71.10	75.61	74.32	81.9	82.1	77.1
+pos FT	72.80	76.22	75.80	-	-	77.8
+neg FT	74.64	77.12	76.71	-	-	
+both	76.87	78.33	78.25	83.2	83.2	
+both $_{dim}$	77.21	79.21	78.8 1	-	-	

Table 7. Ablation studies of proposed methods on various contrastive models. The models are pre-trained for 200 epochs with Res50 on IN-100. * indicates reproduced baseline results.

EXPERIMENTAL RESULTS

► ImageNet-1000 and Fine-Grained Classification

pre-train	IN-1k	t inat-18	8 CUB200	FGVC-aircraft
supervised	76.1	66.1	81.9*	82.6*
mocov1[14] mocov1+ours	60.6 61.9	65.6 67.3	82.8* 83.2	83.5* 84.0
mocov2[7] mocov2+ours mocov2+MoCHi[20] mocov2+UnMix[38]	69.6 68.0	-	82.9* 83.1 -	83.6* 84.1 -

 Table 8. Classification results. * indicates our reproduced results.

EXPERIMENTAL RESULTS

► Object Detection

pre-train	IN-1k Top-1	Faster AP	[35] R50 AP ₅₀	O-C4 VOC AP ₇₅	AP ^{bb}	Mask R AP ^{bb} ₅₀	$\begin{array}{c} \text{A-CNN} \\ \text{AP}_{75}^{bb} \end{array}$	5] R50-0 AP ^{mk}	C4 COCC AP $_{50}^{mk}$) AP_{75}^{mk}
random init*	-	33.8	60.2	33.1	26.4	44.0	27.8	29.3	46.9	30.8
supervised*	76.1	53.5	81.3	58.8	38.2	58.2	41.2	33.3	54.7	35.2
infomin*	70.1	57.6	82.7	64.6	39.0	58.5	42.0	34.1	55.2	36.3
mocoV1[14]	60.6	55.9	81.5	62.6	38.5	58.3	41.6	33.6	54.8	35.6
mocoV1+ours	61.9	56.1	82.0	62.0	39.0	58.7	42.1	34.1	55.1	36.0
mocoV2[7]	67.5	57.0	82.4	63.6	39.0	58.6	41.9	34.2	55.4	36.2
mocoV2+ours	69.6	58.1	83.3	65.1	39.5	59.2	42.1	34.6	55.6	36.5
mocoV2+mochi[20]	68.0	57.1	82.7	64.1	39.4	59.0	42.7	34.5	55.7	36.7
DetCo[53]	68.6	57.8	82.6	64.2	39.4	59.2	42.3	34.4	55.7	36.6
InsLoc[55]	-	57.9	82.9	65.3	39.5	59.1	42.7	34.5	56.0	36.8

Table 9. Object detection. All model are pre-trained for 200 epochs on ImageNet-1k. * means that the results are followed from respective papers [14, 42]. The COCO results of mocoV2 is from [20]. Our results are reported using the average of 5 runs.

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CONCLUSION

- ► Feature-level data manipulation
- Visualization scheme for pos/neg score distribution
- Extrapolation of positives
- Interpolation among negatives